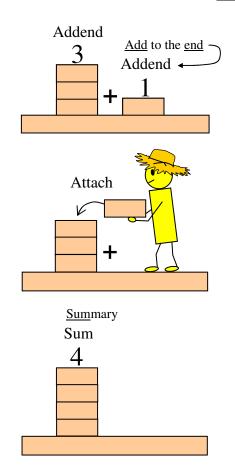
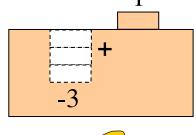
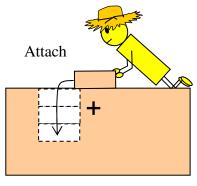
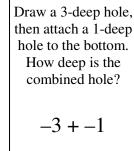
Mental Math

Addition Attaches

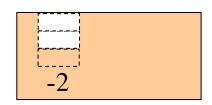






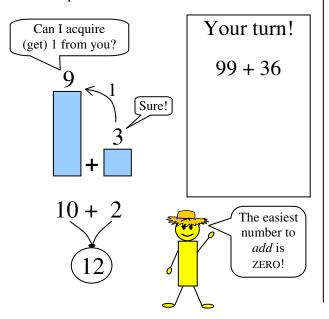


Your turn!



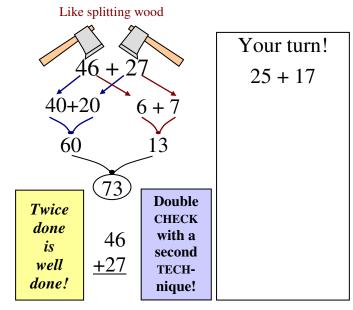
Add-quire

Acquire to make an addend end in ZERO.

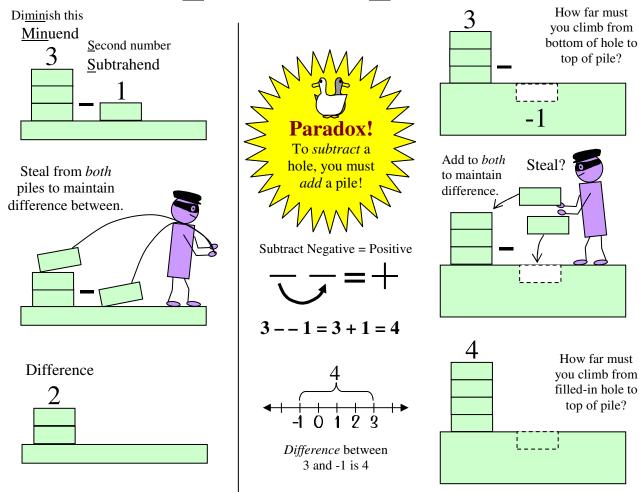


Split & Attach

Split by place values. Attach in the order you'd say it.

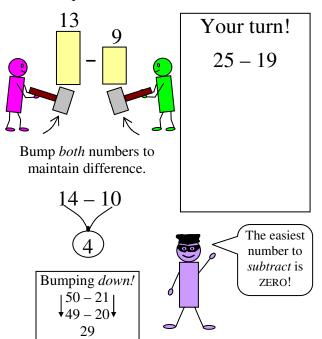


Subtraction Steals



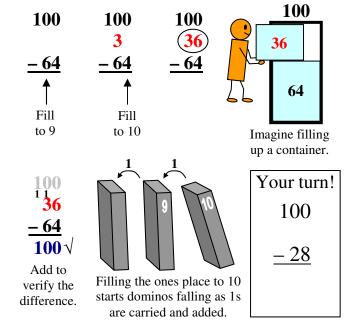


Bump to make subtrahend end in ZERO.



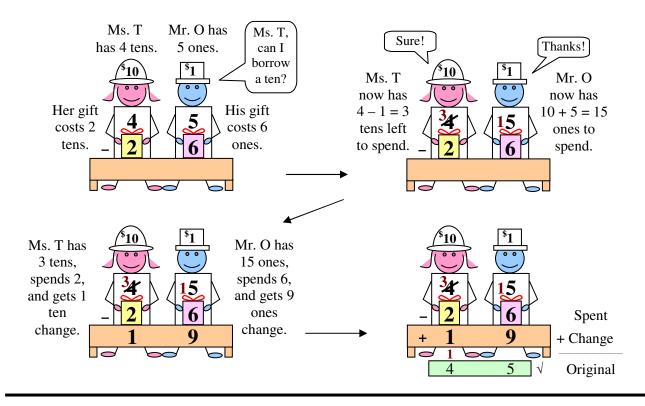
Fill Up

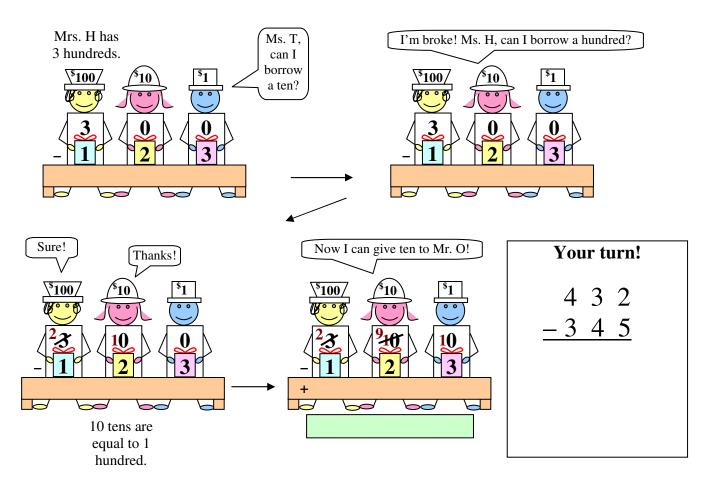
Add to fill up to zeros in minuend.



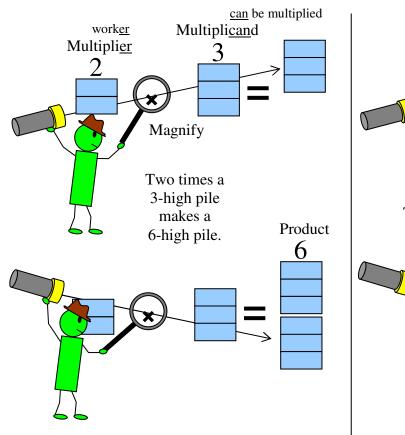
Borrow & Spend Subtraction

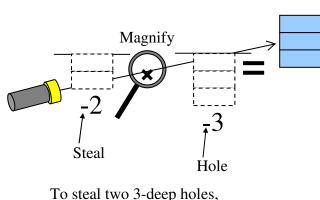
Shop till you drop!

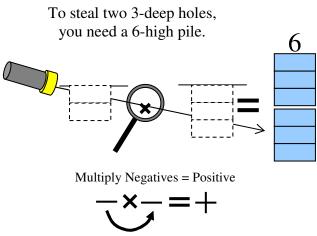




Multiplication Magnifies



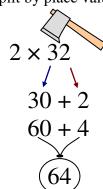


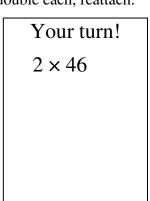


Multiplication = Fast Addition (if memorized!) 5 + 5 + 5 + 5 = 20 or $4 \times 5 = 20$

2 × nn: Split & Double

Split by place values, double each, reattach.

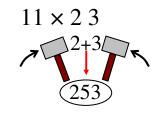




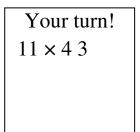
The 9 × Ladder $5 = \frac{1}{2} \times 10$ 5×64 Sum Jump $\frac{1}{2} \times 64 \rightarrow 32 \times 10 = 320$ of down digits one, climb is 8 in a Row! always to 1 2 3 4 5 6 7 8 9! 9!

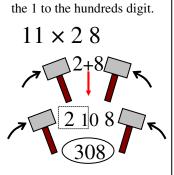
11 x nn: Smash & Add

Smash digits so they add in the middle.



If the middle is 10 or more, smash again to fuse

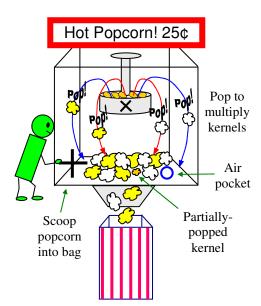




Your turn! 11×99

Popcorn Multiplication!

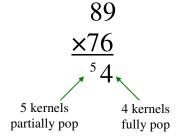
Multi-digit multiplication can be as much fun as the popcorn machine at the movies!

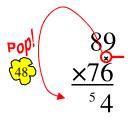


Imagine the digits to be multiplied are unpopped kernels.

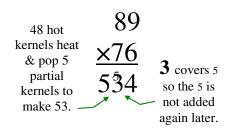


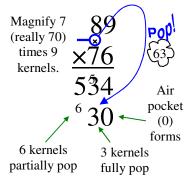
Use a magnifying glass to heat 6 times 9 kernels until they pop to 54.

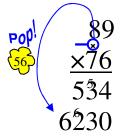




Magnify 6 times 8 kernels to pop 48.

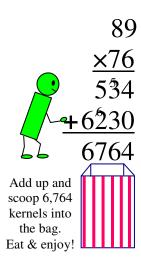


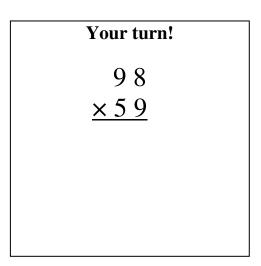




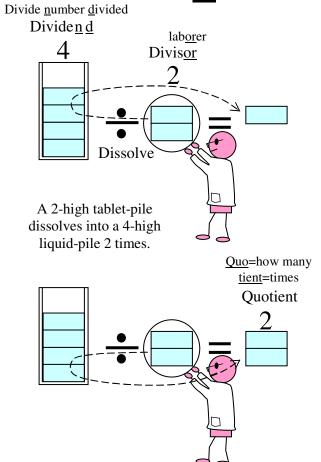
Magnify 7 times 8 kernels to pop 56, which heat & pop 6 partials to make 62.

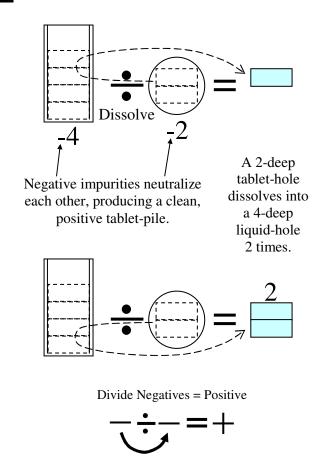
2 covers 6 so the 6 is not added again later.





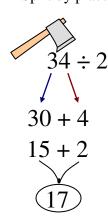
<u>D</u>ivision <u>D</u>issolves

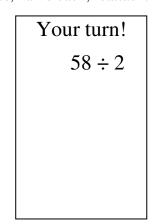


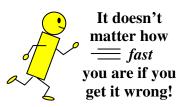


even ÷ 2: Split & Halve

Split by place values, halve each, reattach.









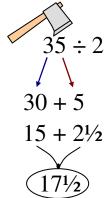
odd ÷ 2: Split & Halve

Split by place values, halve each, reattach.

M	Memorize the		
O	Odd Halves!		
	1	1/2	
	3	11/2	
	5	21/2	
	7	31/2	
	9	41/2	

If you forget, any odd number can be split into an even number + 1.

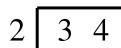
3
2
1
1
1/2



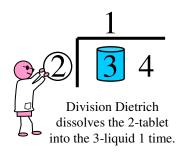


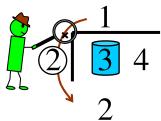
RAINBOW Division

Legend has it there's a pot of gold at the end of every rainbow. Here's a fun way to perform the long division algorithm!

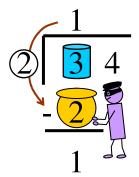


Starting with a traditional long division problem...

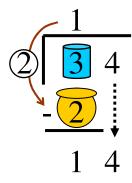




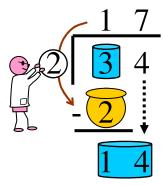
Multiplication Morris magnifies 1 times the 2-tablet creating the first arc of the rainbow.



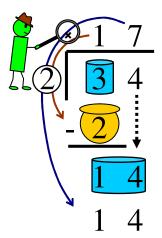
Subtraction Sam steals the 2-pot of gold from the 3-liquid, leaving 1.



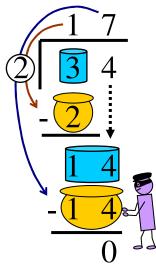
Rainbows need rain, so 4 rains down to join the 1.



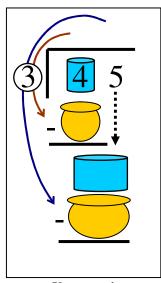
Dietrich dissolves the 2-tablet into the 14-liquid 7 times.



Morris magnifies 7 times the 2-tablet creating the second arc of the rainbow.



Sam steals the 14-pot of gold from the 14-liquid, leaving 0.



Your turn! Fill in the missing items.

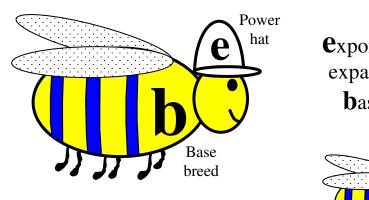
BrainAid A cloud <u>DMS</u> the light then it <u>rains</u>!

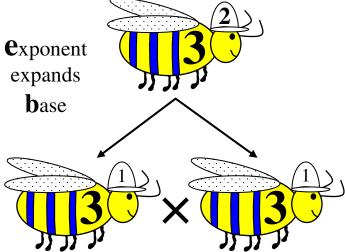
Do <u>Division</u>, <u>Multiplication</u>, <u>Subtraction</u>, then rain. Repeat as needed.

Long division does *not* use Addition!

A Tale of Two Snowmen When do **SNow** two negatives make a positive? Subtract **N**egative When don't they? 3 - - 13 + 14 <u>MaN</u> **M**ultiply **N**egatives **Always** -3×-1 **N**egative $3 \times (+1)$ <u>A</u>dd 3 Negatives -3 + -1**DowN** (at first) <u>D</u>ivide Never <u>N</u>egatives **Seems** $-3 \div -1$ **Positive** 3 ÷ (+1) <u>N</u>egative 3 **S**ubtract Positive **Delighted** -3 - (+1)Now -3 - 1**_4** Your turn! Your turn! Your turn! Your turn! Your turn! 5 - - 2 -3×-2 $-4 \div -2$ -1 - 2-1 + -2

Exponentiation Expands

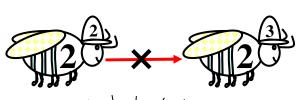




Exponentiation = Fast Multiplication $2 \times 2 \times 2 = 8$ or $2^3 = 8$

M-Ad Bees

To multiply bees of the *same* breed, Merge bases and Add exponents.







Bees run into each other, get mad, then merge bodies and add power hats.

$$2^2 \times 2^3$$

$$2^{2+3}$$

$$2^5$$

Your turn! $2^3 \times 2^4$

Ra-M Bee

To <u>Raise</u> a bee to a power, <u>Multiply</u> exponents.





Ram rams hive, knocks it away, breaks horn, agitates bee, raising and multiplying its power.



 $(2^2)^3$ $2^{2\times 3}$

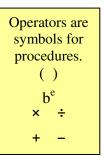
Your turn!

PEMDAS Prioritizes

Priority of Operations

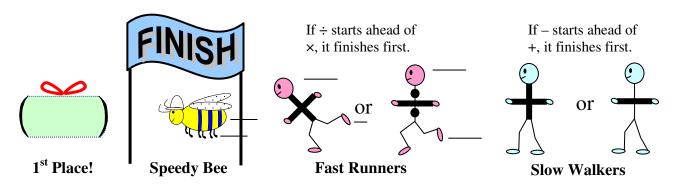
When a math problem has more than one operator, work in this order:

- Parentheses
 If nested, start with innermost set: (Do 2nd (do 1st)).
- Exponentiation
- <u>Multiplication or Division</u> If encounter both, perform in left-to-right order.
- <u>Addition or Subtraction</u> If encounter both, perform in left-to-right order.

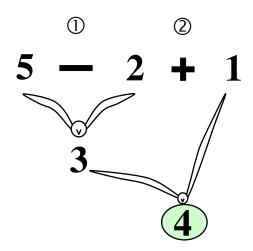


Parentheses Package	E xponentiation Expands
5 - (2 + 1) 3	30 × 1
<u>M</u> ultiplication Magnifies	<u>D</u> ivision Dissolves
2 3 = 6	4 2 2
Addition Attaches	Subtraction Steals
3 4 + 1 = =	3 2 2 = 2

The PEMDAS Racers



Place a number (make it small and circle it so you don't calculate with it) above each operator in priority order. Solve one operator at a time in order.



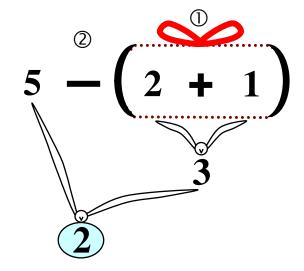
Your turn!

Draw a seagull's head as a dot below an operator. From the head, draw wings up to each number.

$$12 - 5 \times (2 + 4) \div 3$$

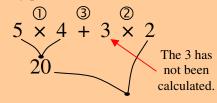
Parentheses Package

Open me first!



TRAP!

Do not fly past an uncalculated number.



Use the numbers *closest* to the operator.